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Hung-po Chao, Ph. D. Senior Director and Chief Economist PJM Interconnection, LLC

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PJM as Part of the Eastern Interconnection



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- The current LMP pricing method has served the energy market successfully over the past twenty years covering important aspects of efficient pricing
- But there have always been circumstances where the prices could not reflect everything relevant to sending the right market signals
- A growing number of experts recommend that the ELMP and scarcity pricing warrant careful reexamination for enhanced energy and reserve market design
- PJM believes that it is prudent to take an essential first step to improve the foundation of energy pricing to ensure that the prices will more accurately reflect the incremental costs to serve load



- Current LMP does not reflect the true system incremental cost to serve load
 - Participants have incentives to behave inflexibly
- The LMP may be decreasing when demand increases
 - Potential conflict with efficient pricing under shortage conditions
 - Vulnerable to local market power and market manipulation
- Under non-convex conditions, market clearing prices may not exist
 - Units needed to serve load may incur losses and need uplift payments
 - Units not needed may be profitable to run but are required to stay offline



Why is Extended LMP a good thing?

- The extended LMP (ELMP) or convex-hull pricing incorporates nonconvex costs of unit commitment (start-up and no-load costs) in market prices with minimum uplift
 - It solves problems caused by non-convexity and fixes pitfalls in the current LMP pricing method
 - It achieves minimum total uplift payment
 - It enables a stronger "invisible hand" sending better market signals
- Issues
 - It bifurcates the dispatch run and the pricing run
 - It creates a computationally challenging problem



What is Integer Relaxation?

- Integer relaxation is a natural approximation to convex-hull relaxation
- The commitment variables must be (0,1) integer values in the dispatch model but in the pricing model, they are allowed to take on any value in the [0,1] interval
 - Except for different treatments of commitment constraints, the pricing model and the dispatch model are otherwise the same
- The integer relaxation generally provides a good approximation to the convex-hull relaxation
 - It is easier to compute and interpret in implementation
 - MISO has implemented one version of this approach, called Approximated ELMP, for fast-start pricing



Why integer relaxation?

- Mixed integer programming (MIP) is now an indispensable tool in business and engineering modeling with a wealth of *formulation* techniques that facilitate integer relaxation
- The unit commitment and economic dispatch (UCED) problem can be reformulated in such a way that the pricing model with integer relaxation solves the convex-hull pricing problem precisely
- Key property: The cost function is positive homogeneous of degree one in <u>both</u> commitment and dispatch decision variables



A Linear Homogeneous Formulation

- The reformulated cost function changes linearly when the commitment and dispatch variables vary proportionally
- It preserves the same dispatch model but creates a new pricing model



A to B: Integer relaxation with homogeneous formulation

A to C: Integer relaxation with non-homogenous formulation



Example 1

Cost assumption

Increment (MW)	Energy Cost (\$/MWh)
100	20
100	25
100	40
Fixed cost	\$1,500

Pricing solution (\$/MWh)

Load (MW)	LMP	AELMP	ELMP
0 - 100	\$20	\$25	\$30
100 - 200	\$25	\$30	\$30
200 - 300	\$40	\$45	\$40

ELMP: IR with linear homogenous formulation AELMP: IR with non-homogenous formulation





Key Insights

- The homogeneous formulation is not restrictive and can cover a broad range of issues such as ramping constraints
 - It is well connected with the theory of peak load pricing
- Integer relaxation expedites the recovery of commitment costs through markets instead of administrative methods
- When ramping constraints are not binding,
 - No-load costs is amortized within each pricing period
 - The start-up cost is amortized in the peak hours
- With ramping constraints, LMPs are adjusted over dispatch periods producing consistent load-following incentives



Qualitative Assessment of Alternative LMP Pricing Methods



Design Criteria	Restricted LMP Method (Current Method)	Extended LMP Method (Integer relaxation – Proposed Method)	Extended LMP Method (Convex hull relaxation)
Efficient commitment and dispatch High		High	High
Solutions supported by prices and settlements	Medium	High	High
Incentive-compatible conditions	Low	High	High
Minimized uplift payments	Low	Medium	High
Computationally feasible	High	Medium	Low



Better market signals and a more effective Invisible Hand

- Allowing all resources needed to serve load to set price while competing for inframarginal rents
- Extending LMP to include commitment costs
- Improved market transparency with reduced uplift and revenue shifts caused by artificially low energy prices
- Improved price-load relationship consistent with scarcity pricing
- Improved reserve prices more reflective of the reliability value
- Improved performance incentives, especially during tight system conditions
- Improved participative incentives for demand resources and price sensitive demand
- Improved market design with increased information and incentive efficiency to advance social welfare and policy objectives

What's the next challenge in market evolution?



Year	Event
1965	New York Blackout
1978	Public Utility Regulatory Policy Act
1997	FERC Orders 888, 889
2000- 2001	California Electricity Crisis and Enron Market Manipulation
2005	Energy Policy Act with demand response mandate
2011	FERC issued Order 745 on Demand Response Compensation
2014-2015	Order 745 was vacated by the Appeal Court but reversed by the U.S. Supreme Court
2017	DOE issued NOPR on Grid Resilience and Price Formation



Thank You







Appendix







OT Current LMP May Not Reflect the True Cost to Serve Load





True Cost to Serve Load Should be More Transparent





ELMP Supports Efficient Commitment and Dispatch Solution









Current Pricing Rule Incents Units B and C to Bid Inflexibly







J pjm				1 Bus,	Exa 2 Units, 3 I	ample 2 Periods
Parameter	Value	Unit			Parameter	Value
Energy cost	\$40/MWh				Energy cost	\$20/MWh
Start-up cost	\$500/start				Start-up cost	\$0/start
No-load cost	\$1000/hour				No-load cost	\$0/hour
Max output	100 MW				Max output	50 MW
Eco Min	40 MW				Eco Min	0 MW
Ramp rate	100 MW/hour		Hour	V Demand (MW)	Ramp rate	50 MW/hour
			1	20 0 1 x Drico		

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100 – 0.1 x Price

150 – 0.1 x Price

Dispatch Solution

Hour	Unit 1 (MW)	Unit 2 (MW)	Load (MW)	LMP (\$/MWh)
1	40	38	78	20
2	46	50	96	40
3	96	50	146	40

- Unit 1 and Unit 2 are both "marginal" units
- The LMP in Hour 1 is below the marginal cost of Unit 1
- LMPs do not reflect commitment costs



Hour	Unit 1 (MW)	Unit 2 (MW)	Load (MW)	LMP (\$/MWh)
1	25.0	50.0	75.0	50.0
2	45.0	50.0	95.0	50.0
3	94.5	50.0	144.5	55.0

- In this case, ELMP covers no-load costs in each hour
- In this case, ELMP covers the start-up cost in the peak hour
- The pricing dispatch results are not used in settlement



- The uplift payment for Unit 1 covers its losses during the commitment period
- The uplift payments for Unit 2 and Load represent the lost opportunity costs



ELMP Case 2a: Ramping Constraints

ELMP Case 2a			
Ramping rate (MW/hour)			
Unit 1	60		
Unit 2	30		

Dispatch solution

Hour	Unit 1 (MW)	Unit 2 (MW)	Load (MW)	LMP (\$/MWh)
1	46	30	76	40
2	46	50	96	40
3	96	50	146	40

Pricing solution

Hour	Unit 1 (MW)	Unit 2 (MW)	Load (MW)	LMP (\$/MWh)
1	43.5	30	73.5	65
2	45.5	50	95.5	45
3	94.5	50	144.5	55
Uplift	\$680	\$0	\$44	Total: \$724